# Realizing degree sequences with graphs having nowhere-zero 3-flows 

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#### Abstract

The following open problem was proposed by Archdeacon: Characterize all graphical sequences $\pi$ such that some realization of $\pi$ admits a nowhere-zero 3 -flow. This open problem is solved in this paper with the following complete characterization: A graphical sequence $\pi=\left(d_{1}, d_{2}, \ldots, d_{n}\right)$ with minimum degree at least two has a realization that admits a nowhere-zero 3 -flow if and only if $\pi \neq\left(3^{4}, 2\right),\left(k, 3^{k}\right),\left(k^{2}, 3^{k-1}\right)$, where $k$ is an odd integer.


