Practice Questions from 10.7-10.8

- The Ratio Test and Root Test are based on the properties of convergence of
 A. a p-series, p≠1.
 B. the harmonic series
 C. the alternating series
 D. a television series
 E. the world series. F. a geometric series
- 2. Which of these will help you determine if the series $\sum_{n=0}^{\infty} 2e^n$ converges or diverges? Select all possible answers.

A. limit comparison test with a *p*-series, $p \neq 1$. B. limit comparison test with the harmonic series C. a geometric series D. alternating series test E. absolute convergence test (i.e., convergence of $\sum |a_n|$ implies convergence of $\sum a_n$) E. integral test F. ratio test G. *n*th Term Test for Divergence

Which of these will help you determine if the series ∑_{n=0}[∞] e⁻²ⁿ converges or diverges? Select all possible answers.
 A. limit comparison test with a *p*-series, *p*≠1. B. limit comparison test with the harmonic series C. a geometric series D. alternating series test E. absolute convergence test (i.e., convergence of ∑|a_n| implies convergence of ∑a_n)

E. integral test F. ratio test G. nth Term Test for Divergence

- 4. Which of these will help you determine if the series $\sum_{n=1}^{\infty} \left(\frac{(-1)^{n+1}}{n^2}\right)$ converges or diverges? Select all possible answers. A. limit comparison test with a *p*-series, $p \neq 1$. B. limit comparison test with the harmonic series C. a geometric series D. alternating series test E. absolute convergence test (i.e., convergence of $\sum |a_n|$ implies convergence of $\sum a_n$) E. ratio test F. *n*th Term Test for Divergence
- 5. Which of these will help you determine if the series $\sum_{n=1}^{\infty} \left(\frac{(-1)^{n+1}}{\sqrt{n}}\right)$ converges or diverges? Select all possible answers. A. limit comparison test with a *p*-series, $p \neq 1$. B. limit comparison test with the harmonic series C. a geometric series D. alternating series test E. absolute convergence test (i.e., convergence of $\sum |a_n|$ implies convergence of $\sum a_n$) E. ratio test F. *n*th Term Test for Divergence
- 6. Which of these will help you determine if the series ∑_{n=1}[∞] (n+2/n!) converges or diverges? Select all possible answers.
 A. limit comparison test with a *p*-series, *p*≠1. B. limit comparison test with the harmonic series C. a geometric series D. alternating series test E. absolute convergence test (i.e., convergence of ∑|a_n| implies convergence of ∑a_n)
 E. integral test F. ratio test G. *n*th Term Test for Divergence





- **b.** Circle the best answer to determine part **a**. A. It is a *p*-series. B. It is a geometric series C. Use the Ratio Test D. Use the Root Test E. Use the *n*th Term Test for Divergence
- c. Explain more fully below how part b justifies part a.
- **10.** Consider the series $\sum_{n=1}^{\infty} (-2)^n$ **a.** The series will $\frac{1}{\{\text{converge, diverge}\}}$.

b. Which of these will help you determine if the series $\sum_{n=1}^{\infty} (-2)^n$ converges or diverges? Select all possible answers.

A. It is a *p*-series. B. It is a geometric series C. Use the Ratio Test D. Use the Root Test E. Use the *n*th Term Test for Divergence

c. Explain more fully below how part **b** justifies part **a** for each of your choices.

11. Consider the series
$$\sum_{n=1}^{\infty} n(-0.5)^n$$

a. The series will

{converge, diverge}

b. Justify your claim in part a.