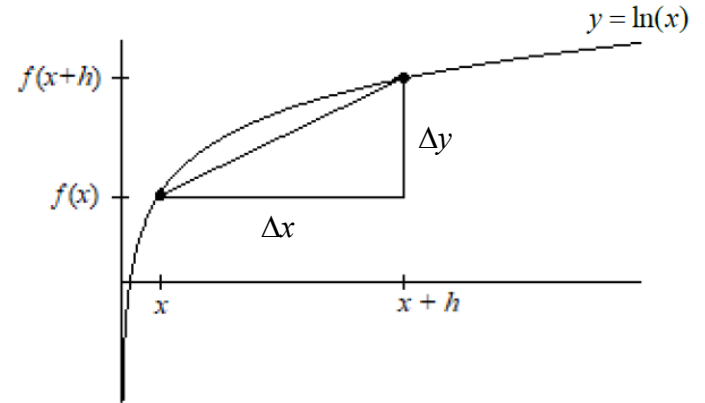


3. Write in terms of the natural logarithm function and x and h .

$$\frac{d}{dx} \ln x = \lim_{h \rightarrow 0} \frac{f(x+h) - f(x)}{x+h-x} = \lim_{h \rightarrow 0} \boxed{}$$



4. Rewrite your expression in the box in #3 using the **Difference Property**.

$$= \lim_{h \rightarrow 0} \frac{\boxed{}}{h}$$

5. Use the property that $\frac{*}{h} = \frac{1}{h} \cdot *$. Follow the remaining steps. Arrows indicate you recopy the previous box.

$$= \lim_{h \rightarrow 0} \frac{1}{h} \cdot \ln \left(1 + \boxed{} \right)$$

Divide your expression in the box in #4 by x .

$$= \lim_{h \rightarrow 0} \frac{1}{x} \cdot \boxed{} \cdot \ln \left(1 + \boxed{} \right)$$

Rewrite $\frac{1}{h}$ using "1 in"

$$= \lim_{h \rightarrow 0} \frac{1}{x} \cdot \lim_{h \rightarrow 0} \boxed{} \cdot \ln \left(1 + \boxed{} \right)$$

Write as a product of limits.

$$= \lim_{h \rightarrow 0} \frac{1}{x} \cdot \lim_{h \rightarrow 0} \boxed{}$$

Use the **Power Property**.

6. Let $Q = \frac{h}{x}$. As $h \rightarrow 0$, what happens to Q ? $Q \rightarrow \boxed{}$

7. Write the limit in the last line of #5 all in terms of Q .

$$\frac{d}{dx} \ln x = \lim_{h \rightarrow 0} \frac{1}{x} \cdot \lim_{Q \rightarrow \boxed{}} \ln \left(\boxed{} \right) \boxed{}$$

$$= \boxed{} \cdot \boxed{} = \boxed{}$$

Why? _____