## London Eye

A car on the London Eye has vertical height  $h(\theta)$ , dimension meters. It rotates counterclockwise. One revolution takes a half hour.



- 1. Construct a graph of  $h(\theta)$  for one revolution where at  $\theta = 0$  the car is at the **3 o'clock position**. Use radians. Label both axes with numbers.
- 2. Construct a formula for  $h(\theta)$ .  $h(\theta) =$ \_\_\_\_\_.
- 3. Complete the blanks. Then write  $\theta$  (radians) as a function of *t* (hours), where at t = 0 the car is at the **3 o'clock position**.

| Number of   | t    | $\theta$  |
|-------------|------|-----------|
| revolutions | (hr) | (radians) |
|             |      |           |
| 1           |      |           |
| 1/2         |      |           |
| 1⁄4         |      |           |
|             | 0    |           |
|             | 1    |           |
|             | t    |           |

- 4. Complete:  $\theta(t) =$  \_\_\_\_\_.
- 5. Complete:  $d\theta/dt =$  \_\_\_\_\_. Report the units: \_\_\_\_\_. This quantity is called the \_\_\_\_\_\_ velocity.
- 6. Use substitution to construct a formula for h(t). h(t) =\_\_\_\_\_\_\_Again assume at t = 0 the car is at the **3 o'clock position**.
- 7. Complete:
  - a. dh/dt =

c. The vertical height h of the car changes the *slowest* at what clock position(s)? 3 o'clock 12 o'clock 9 o'clock 6 o'clock

b. The vertical height *h* of the car changes the *fastest* at what clock position(s)? 3 o'clock 12 o'clock 9 o'clock 6 o'clock