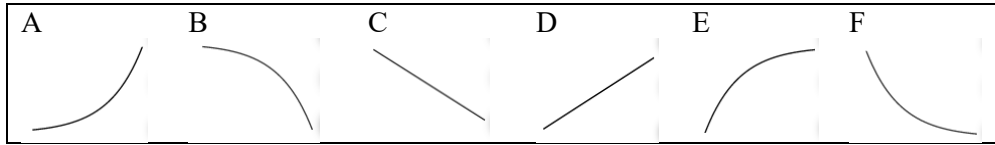


## Classifying Parts of Curves

1. Use the graphs A through F and insert the letter choice in the blank.  
Some parts may have more than one answer.



- a) Which graphs are increasing? \_\_\_\_\_
- b) Which graphs are decreasing? \_\_\_\_\_
- c) Which graphs are concave up? \_\_\_\_\_
- d) Which graphs are concave down? \_\_\_\_\_
- e) Which graphs have **no** concavity? \_\_\_\_\_
- f) Which graph could model the following?

In the last quarter of 2009, the economy lost jobs less quickly. \_\_\_\_\_

United States economic growth accelerates. \_\_\_\_\_

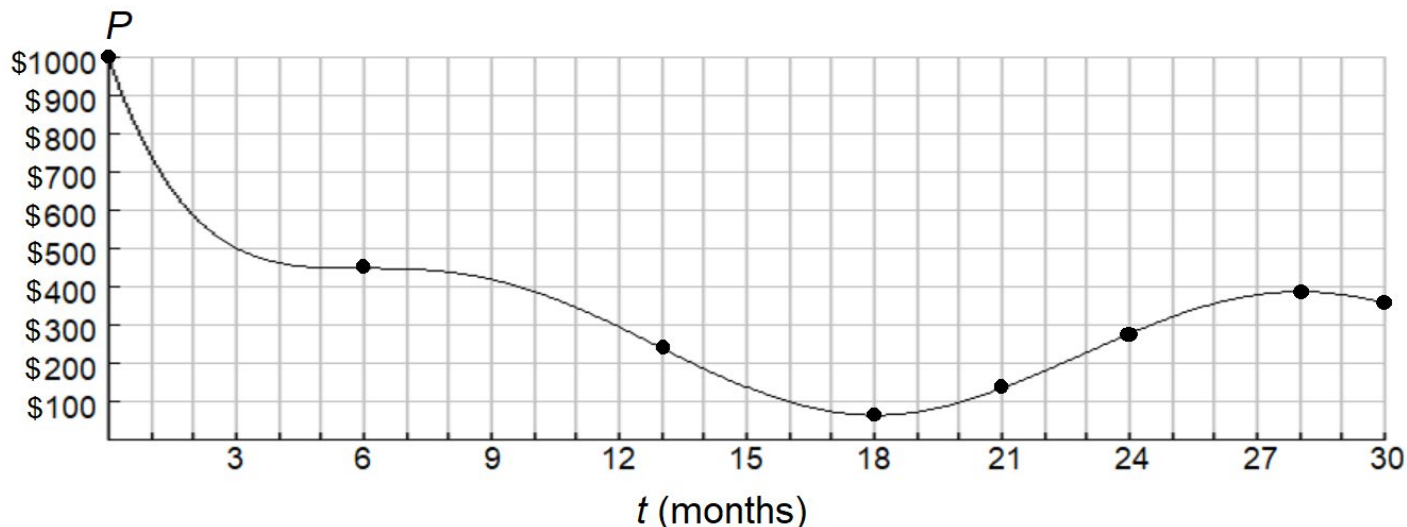
The revenue is climbing at a steady rate. \_\_\_\_\_

Greenland ice loss is accelerating. \_\_\_\_\_

The rise in the profits is slowing. \_\_\_\_\_

2. The graph of a company's profit  $P(t)$  in dollars at month  $t$  is shown.

Report whole numbers in the blanks below.



a) The domain of  $P(t)$  is \_\_\_\_\_  $\leq t \leq$  \_\_\_\_\_. In interval notation, this is written \_\_\_\_\_.

b) The range of  $P(t)$  is \_\_\_\_\_  $\leq P(t) \leq$  \_\_\_\_\_. In interval notation, this is written \_\_\_\_\_.

c) Given a function  $f$ , we say that  $f(c)$  is a **global maximum** or **absolute maximum** of  $f$  provided that  $f(c) \geq f(x)$  for all  $x$  in the whole domain of  $f$ .

Given a function  $f$ , we say that  $f(c)$  is a **global minimum** or **absolute minimum** of  $f$  provided that  $f(c) \leq f(x)$  for all  $x$  in the whole domain of  $f$ .

For what value(s) of  $t$  does  $P(t)$  have the following? If none, state so.

- i. an *absolute* maximum? at  $t =$  \_\_\_\_\_
- ii. an *absolute* minimum? at  $t =$  \_\_\_\_\_

d) Given a function  $f$ , we say that  $f(c)$  is a **local maximum** or **relative maximum** of  $f$  provided that  $f(c) \geq f(x)$  for all  $x$  near  $c$ .

Given a function  $f$ , we say that  $f(c)$  is a **local minimum** or **relative minimum** of  $f$  provided that  $f(c) \leq f(x)$  for all  $x$  near  $c$ .

For what value(s) of  $t$  does  $P(t)$  have the following? If none, state so.

- i. a *relative* maximum? at  $t =$  \_\_\_\_\_
- ii. a *relative* minimum? at  $t =$  \_\_\_\_\_

e) On what open intervals of  $t$  is the graph concave up and increasing? \_\_\_\_\_

An *open* interval does **not** include its endpoints.

An interval which **does** include its endpoints is called *closed*, i.e. the answers to parts a and b.

f) For what value(s) of  $t$  does the graph change concavity? These are called the **points of inflection**.

Report whole numbers.  $t =$  \_\_\_\_\_

g) i. For what value(s) of  $t$  does the graph change concavity and is decreasing?  $t =$  \_\_\_\_\_

ii. For what value(s) of  $t$  does the graph change concavity and is increasing?  $t =$  \_\_\_\_\_

h) i. On what open intervals of  $t$  is the graph concave up? \_\_\_\_\_

ii. On what open intervals of  $t$  is the graph concave down? \_\_\_\_\_