## Ask for a Sign

We use sign tables to connect the properties of a function f to its derivative f'. Recall:

- We look for critical values of *f* in the interior of an interval on *a* < *x* <*b*.
  In general, critical values of *f* occur at values of *x* where the derivative *f* ' is \_\_\_\_\_\_\_
- 2. An absolute extreme point (max or min) on an interval may occur at a critical value or at \_\_\_\_\_
- 3. Use the word bank to complete each.a. If *f* changes from decreasing to increasing at point *P*, then *P* is a \_\_\_\_\_

{max, min}

b. If f changes from increasing to decreasing at point P, then P is a

{max, min}

4. In the sign table below, insert + or – for f'.



The graph of f and f' are shown below. Complete the blanks, using the graph of f' to help you.

A horizontal tangent line to f at a point P occurs where the two sided limit of the derivative f' is \_\_\_\_\_

Vertical tangent lines of f are where the one sided limits of the derivative f' at P are infinities of  $\{\overline{\text{opposite signs, the same sign}}\}$ .

*f* has **cusps or corners** where the one sided limits of the derivative f at P on each side are *Don't worry about distinguishing between cusps and corners. What is true in general about the one sided limit of the derivative on each side?* 

