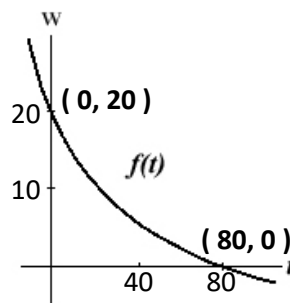


- True or False: Given that the point (5, 8) is on the graph of  $f$  is enough information to find the value of  $f(5)$ .  
Ans. **True since  $f(5) = 8$ .**
- If  $7 = g(5)$ , give the coordinates of a point on the graph of  $g$ . ( 5 , 7 )
- Tuition cost  $T$  (in dollars) for part-time students at a college is given by  $T = 300 + 200C$ , where  $C$  represents the number of credits taken.
  - Find the tuition cost for six credits. Taking six credits costs \$ 1500
  - How many credits were taken if the tuition was \$2,100? \$2,100 is the cost of taking 9 credits.

$$\begin{aligned} 2100 &= 300 + 200C \\ 1800 &= 200C \\ C &= 9 \end{aligned}$$

- Suppose  $w = f(t)$  is given by the graph to the right. Use the graph to find complete the blanks.



- $f(0) = \underline{20}$
- $f^{-1}(\underline{20}) = 0$
- $f^{-1}(0) = \underline{80}$  since  $f(80) = 0$
- $f^{-1}(\underline{20}) = 0$  since  $f(0) = 20$

- The table gives the amount of garbage,  $G$ , in tons, produced in a country in year  $t$ , so  $G = f(t)$  since 1950.

$t$	$G$
30	30
40	35
50	40
60	45

- Find  $f(40)$  and interpret.  
 **$f(40) = 35$ . In 1990, the country produced 35 tons of trash.**
- Solve  $f(t) = 40$  for  $t$  and interpret.  **$f(50) = 40$ . The country produced 40 tons of trash in the year 2000.**
- Find the average rate of change of the function from 30 to 40. **0.5 tons of trash per year.**

**Report units in your answer.**

- Find a formula for  $f(t)$  assuming the garbage increases at a steady rate.  **$f(t) = 0.5t + 15$**   
 $y = 0.5t + b$   
 $35 = 0.5(40) + b$   
 $35 = 20 + b$   
 $15 = b$

- Interpret the slope of your formula in practical terms. Don't write RISE over RUN.  
**Each year the country produces an additional 0.5 ton of trash.**  
**or Every 10 years the country produces 5 tons of trash.**
- Interpret the  $y$ -intercept of your formula in practical terms. **In 1950 they had 15 tons of trash.**
- Predict the amount of garbage in the year 2050, assuming this trend continues.

**Find  $G$  if  $t = 100$ . We can use the formula or "walk the table."**

$$\begin{aligned} G &= 0.5(100) + 15 \\ &= 50 + 15 \\ &= 65 \text{ tons.} \end{aligned}$$

$t$	$G$
30	30
40	35
50	40
60	45
70	50
80	55
90	60
100	65

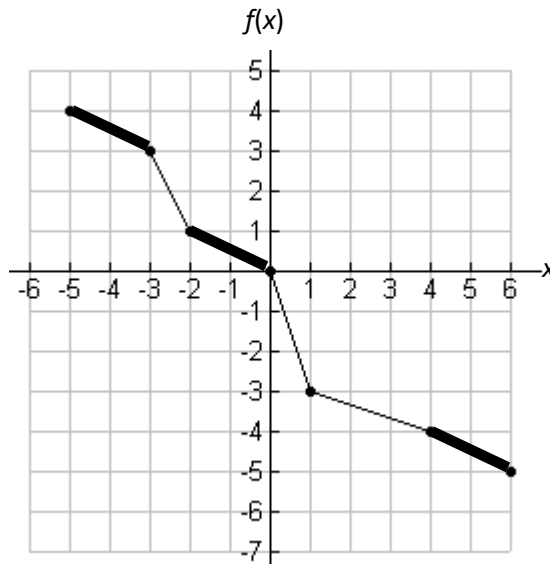
6. In 2006, the population of a town was 15,423 and growing by 200 people per year. Find a formula for  $P$ , the town's population, in terms of  $t$ , the number of years since 2006.  $P = 15,423 + 200t$

7. Determine two intervals on which the average rate of change is the same. Use integers and write a different number in each blank. (Many correct answers are possible.)

The average rate of change from  $x = -5$  to  $x = -3$  is the same value as the average rate of change  $x = -2$  to  $x = 0$

or the average rate of change  $x = 4$  to  $x = 6$ .

**Find intervals of  $x$  where slope is the same.**



8. If  $f(x) = \frac{4x}{x^2 + 4}$ , then evaluate  $f(-1)$

$$\frac{4(-1)}{(-1)(-1) + 4} = \frac{-4}{5} \text{ or } -0.8$$

9. If  $f(x) = \sqrt{16x + 4}$ , then solve the equation  $f(x) = 0$

$$\sqrt{16x + 4} = 0 \text{ Square both sides.}$$

$$16x + 4 = 0$$

$$16x = -4$$

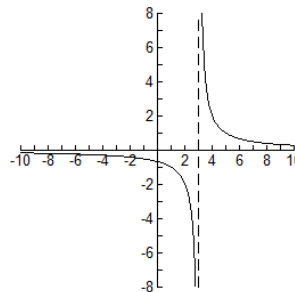
$$x = \frac{-4}{16} \text{ or } -0.25$$

10. Find the domain and range of

a.  $f(x) = \frac{2}{x-3}$

Domain:  $x \neq 3$

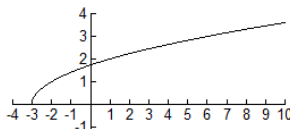
Range: All reals but 0 or  $y \neq 0$



b.  $g(x) = \sqrt{x+3}$

Domain:  $x \geq -3$

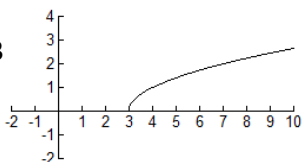
Range:  $y \geq 0$



c.  $h(x) = \sqrt{x-3}$

Domain:  $x \geq 3$

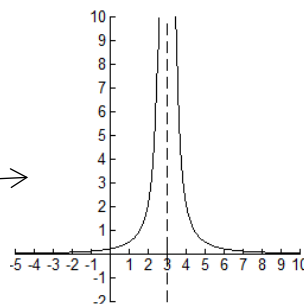
Range:  $y \geq 0$



d.  $p(x) = \frac{2}{(x-3)^2}$

Domain:  $x \neq 3$

Range:  $y > 0$



11. The entire graph of  $g(x)$  is shown.

Insert whole numbers (integers) in the boxes.

a. What is the domain of  $g$ ?  $0 \leq x \leq 8$

b. What is the range of  $g$ ?  $0 \leq y \leq 10$

c. Report all values of  $x$  which solve the equation  $g(x) = 8$ .

$x = 0, 4$

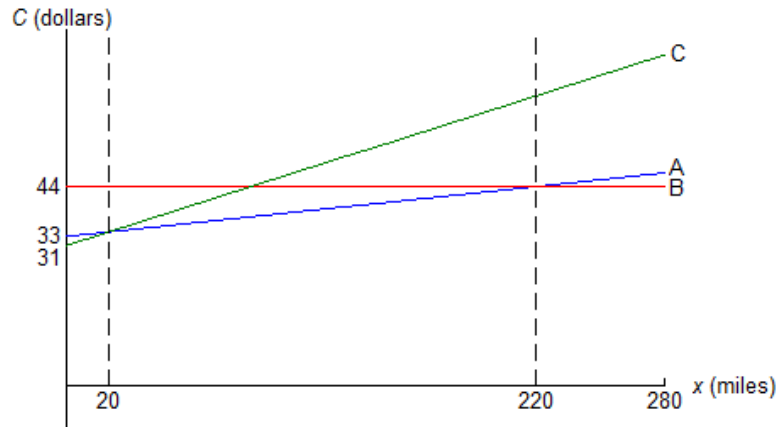
d. Solve  $g(x) \geq 8$ . Ans:  $0 \leq x \leq 4$  or  $[0, 4]$

Find values of  $x$  for which the graph of  $g$  is **above** the line  $y = 8$  or **intersects** the line  $y = 8$ .



- e. Solve  $g(x) < 8$ . Ans:  $4 < x \leq 8$  or  $(4, 8]$   
 Find values of  $x$  for which the graph of  $g$  is **below** the line.  
 f. For what values of  $x$  is the function increasing?

12. a.  $y_A = 33 + 0.05x$   
 $y_B = 44$   
 $y_C = 31 + 0.15x$



- b. Company A (the blue graph) is cheapest when you drive between 20 and 220 miles.  
 Company B (the red graph) is cheapest when you drive more than 220 miles.  
 Company C (the green graph) is cheapest when you drive less than 20 miles.

Note: Find intervals when each line is below the other two.

You can find the intersection points with a grapher or algebraically.

To solve it with a grapher, see instructions in the *Study Tips and Resources* folder on Brightspace.

$$y_C = y_A$$

$$31 + 0.15x = 33 + 0.05x$$

$$0.10x = 2$$

$$x = 20$$

$$y_A = y_B$$

$$33 + 0.05x = 44$$

$$0.05x = 11$$

$$x = 220$$

13.  $d = 122 - 43t$

14. In a college meal plan you pay a membership fee; then all your meals are at a fixed price per meal.  
 Suppose 30 meals cost \$265 and 60 meals cost \$460.

- a. Write a formula for the cost of a meal plan,  $C$ , in terms of the number of meals,  $n$ .

The change in  $C$ ,  $\Delta C = 460 - 265 = 195$ .

The change in  $n$ ,  $\Delta n = 60 - 30 = 30$ .

So the slope is  $m = \frac{\Delta C}{\Delta n} = \frac{195}{30} = 6.5$ .

To find the  $y$ -intercept, plug in a point:  $n = 30, C = 265 \Rightarrow C = 6.5n + b$

$$265 = 6.5 \cdot 30 + b$$

$$265 = 195 + b$$

$$70 = b$$

Ans:  $C(n) = 70 + 6.5n$

- b. What is the price per meal? **\$6.50**  
 c. What is the membership fee? **\$70**