

A Closed-Form Expression for Static Worm-Scanning Strategies

Zesheng Chen

Florida International University

Chao Chen

Indiana University – Purdue University

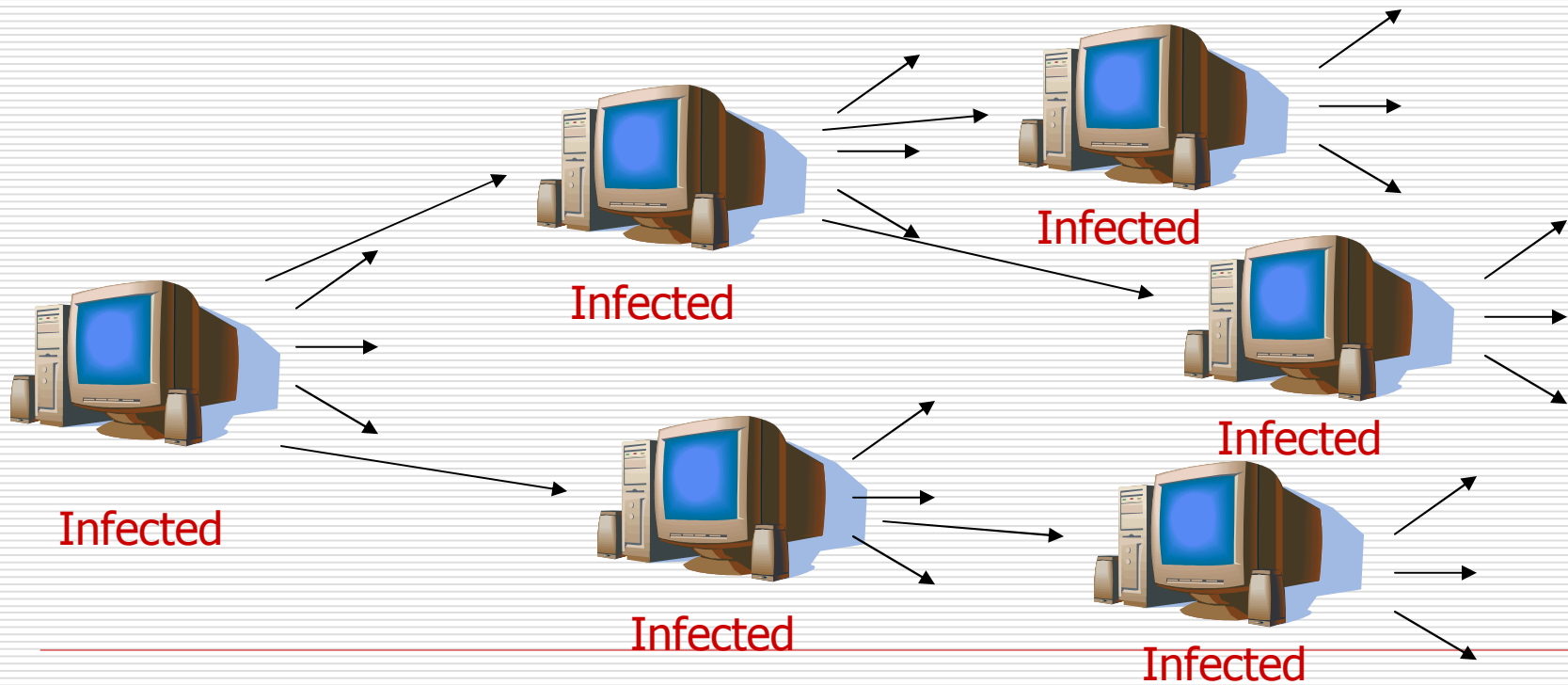
Fort Wayne

IEEE International Conference on Communications (ICC 2008)

May 21, 2008, Beijing, China

Worm Propagation

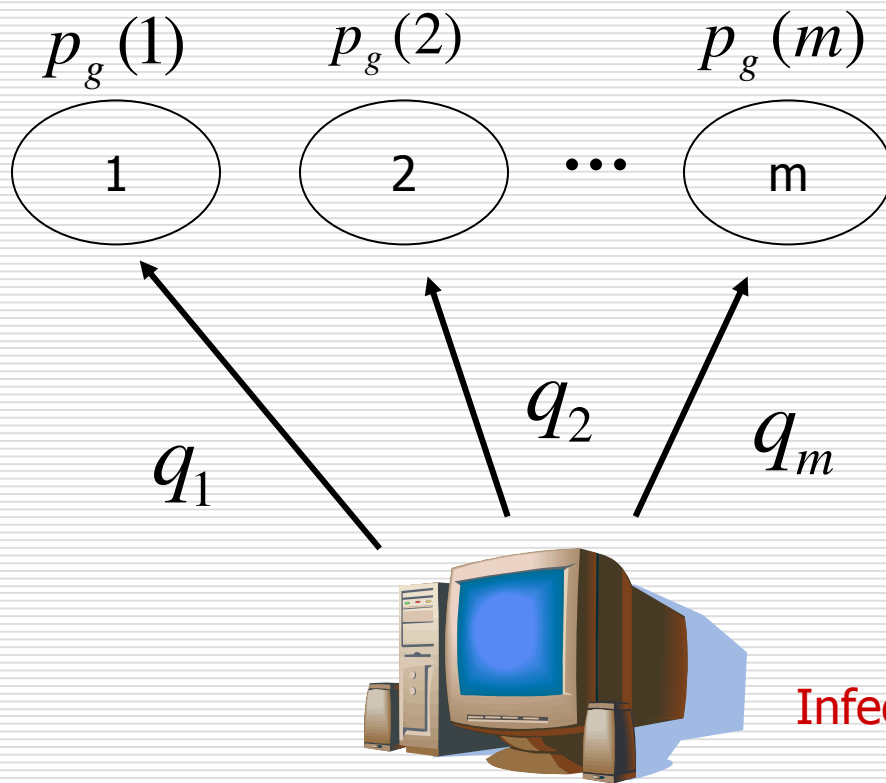
- ❑ Worm is a program that self-propagates across Internet by exploiting security flaws



Worm Scanning Methods

- Random scanning
 - Selects target IPv4 addresses at random
 - Code Red v2, Slammer, and Witty worms
- Localized scanning
 - Preferentially searches for targets on “local” address space
 - Code Red II and Nimda worms
- Sequential scanning
 - Scans IP addresses sequentially
 - Blaster worm

Importance Scanning



□ $p_g(i)$: group distribution

$$p_g(i) = \frac{N_i}{N}$$

□ q_i : group scanning distribution

Importance Scanning

- Has shown to be able to spread worms much faster than random scanning
- Has two types
 - Static importance scanning
 - OPT-STATIC and random scanning
 - Dynamic importance scanning
 - Localized scanning and K-FAIL

In this work, we focus on static importance scanning

Motivations

- Why studying worm-scanning methods is important?
- Worm attacks present a significant threat
- Many applications have used epidemic-style information dissemination
 - Database maintenance
 - Streaming broadcasting
 - Web-service management

Model Worm Propagation

□ Stochastic models

- Capture the variance of worm spreading at the early stage
- Require extensive computations and focus only on the early stage

□ Deterministic models

- Ignore the variance of worm infection and use dynamic equation
- Difficult to understand the effects of important parameters
- Nearly impossible to derive an exact closed-form expression from the dynamic equation

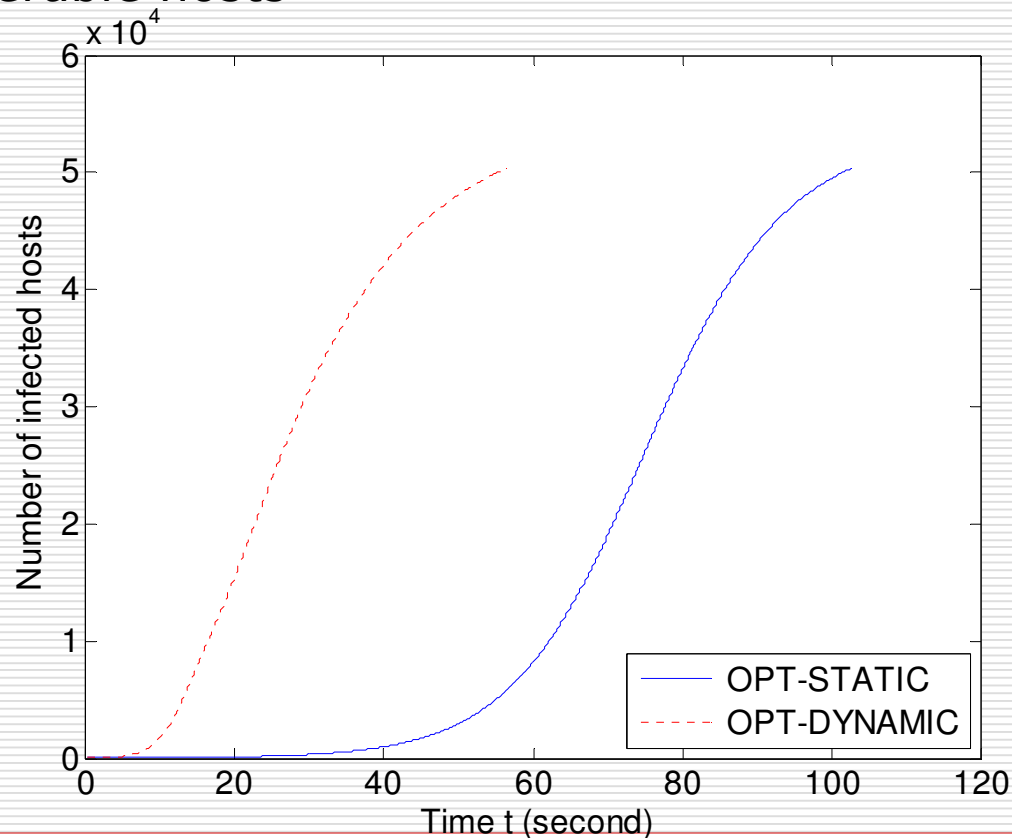
Model Worm Propagation

- Optimization methods
 - Capture parameters' effects
 - Focus on the number of worm scans required to reach a predetermined fraction of vulnerable hosts
 - Cannot characterize the dynamic behavior of worm spreading

In this work, we derive a closed-form expression from the deterministic dynamic equation through a *mean-field* approximation

Why Not *Optimization*

Focus on the number of worm scans required to reach a predetermined fraction of vulnerable hosts



M. Vojnovic, V. Gupta, T. Karagiannis, and C. Gkantsidis, "Sampling Strategies for Epidemic-Style Information Dissemination," IEEE INFOCOM, 2008.

Mean-Field Approximation

- Gains insight into the behavior of complex systems at a relatively low cost
- Focuses on the average of the system, ignoring fluctuations
- Applies Taylor expansion and focus on the first-order term

Derivation

Dynamic differential equation:
$$\frac{dI_i(t)}{dt} = sI(t)q_i \frac{S_i(t)}{\Omega_i}$$

Mean-field approximation:
$$I_i(t) = N_i \left[1 - \left(1 - \frac{1}{\Omega_i} \right)^{q_i u(t)} \right]$$

Taylor expansion (first term):
$$\approx u(t) \frac{q_i N_i}{\Omega_i}$$

Close-Form Expression

$$I(t) = \frac{I(0)B}{I(0) + [B - I(0)]e^{-At}}$$

$$A = s \sum_{i=1}^m q_i N_i / \Omega_i$$

↑
Infection rate

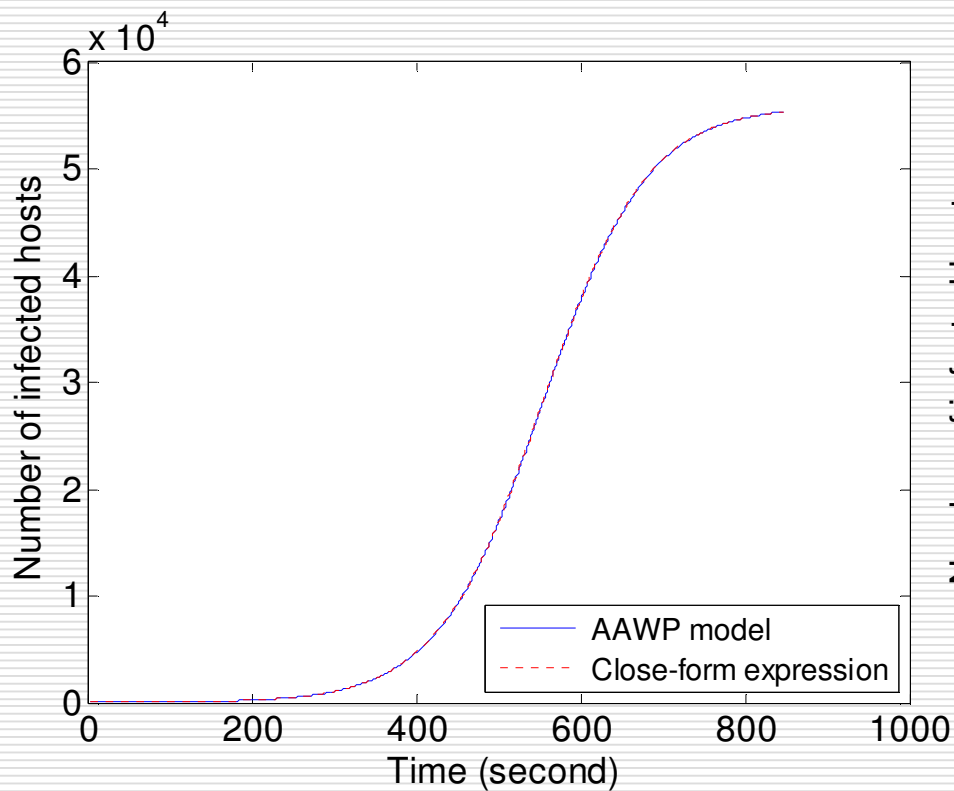
$$B = \frac{\left(\sum_{i=1}^m q_i N_i / \Omega_i \right)^2}{\sum_{i=1}^m q_i^2 N_i / \Omega_i^2} \leq N$$

Performance Evaluation

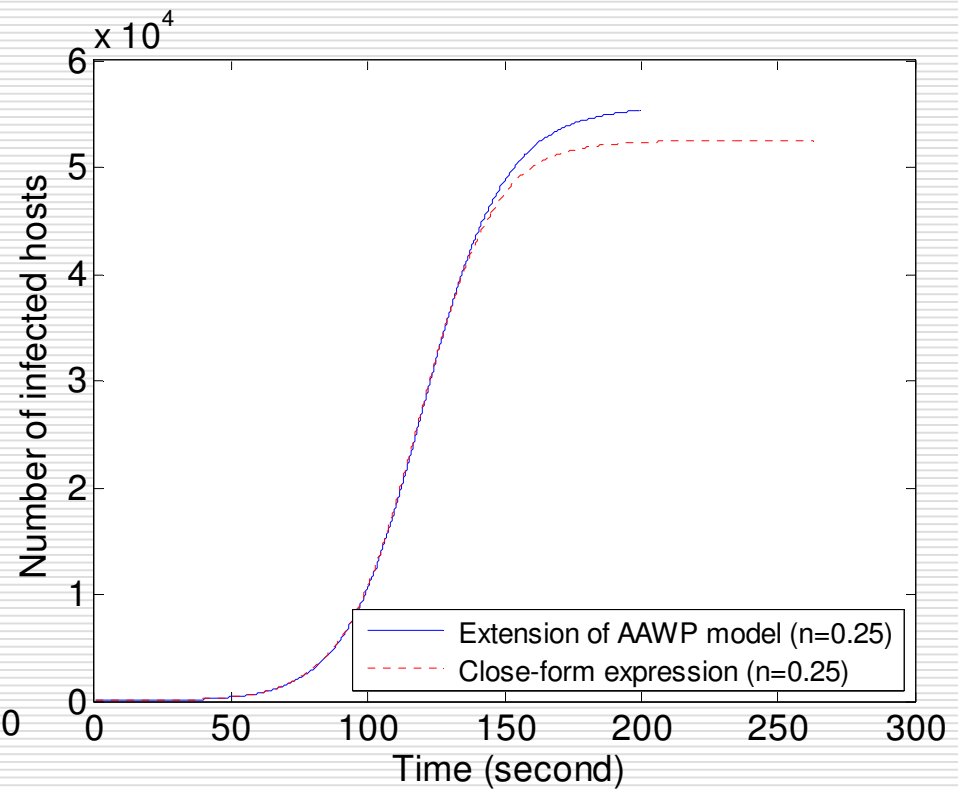
- Simulate the propagation of a Witty worm
 - Vulnerable population $N = 55,909$
 - Scanning rate $s = 1,200$ /sec
- Compare with the Analytical Active Worm Propagation (AAWP) model
- Consider a group of static worm-scanning strategies:

$$q_i \propto \left(\frac{N_i}{N}\right)^n$$

Performance Evaluation

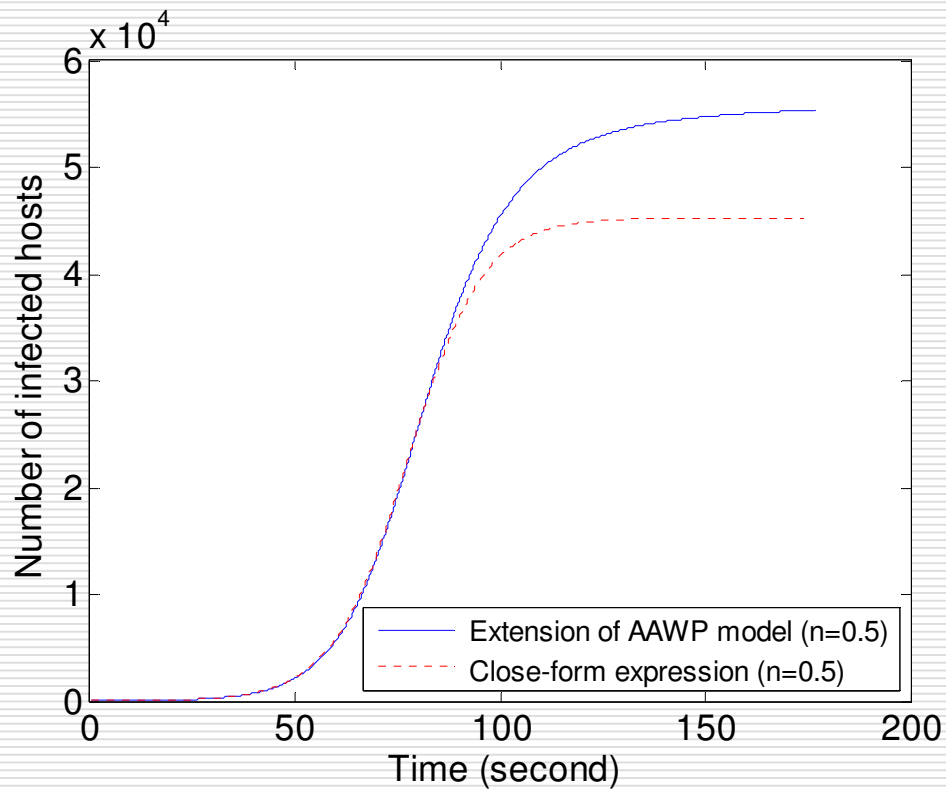


$n = 0$

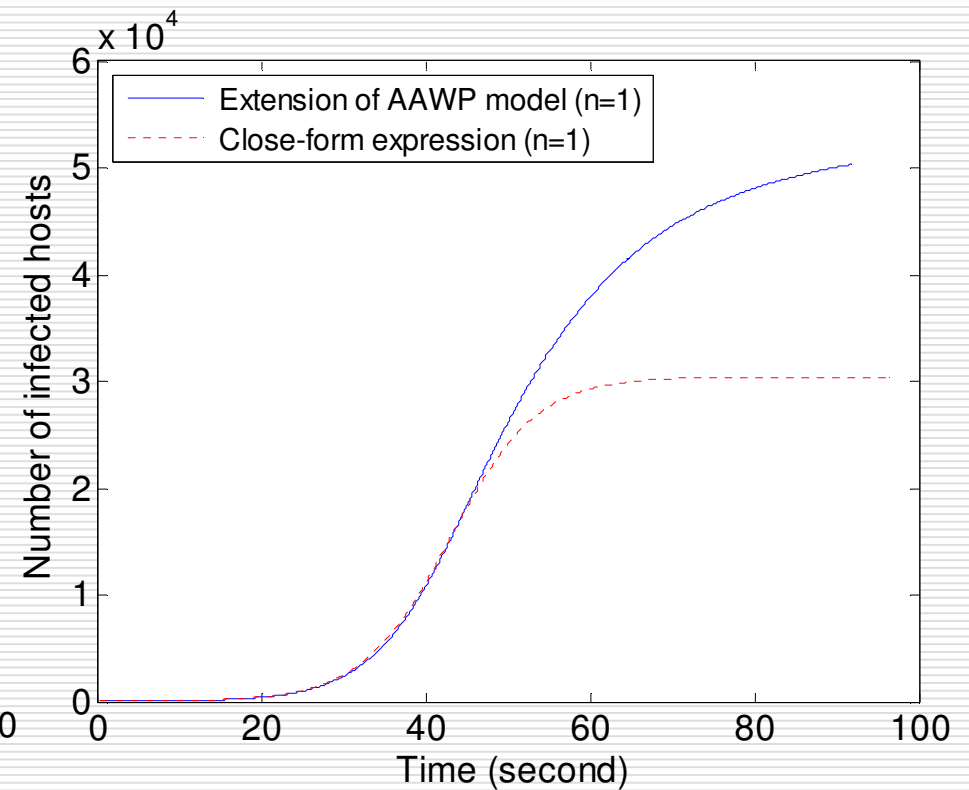


$n = 0.25$

Performance Evaluation

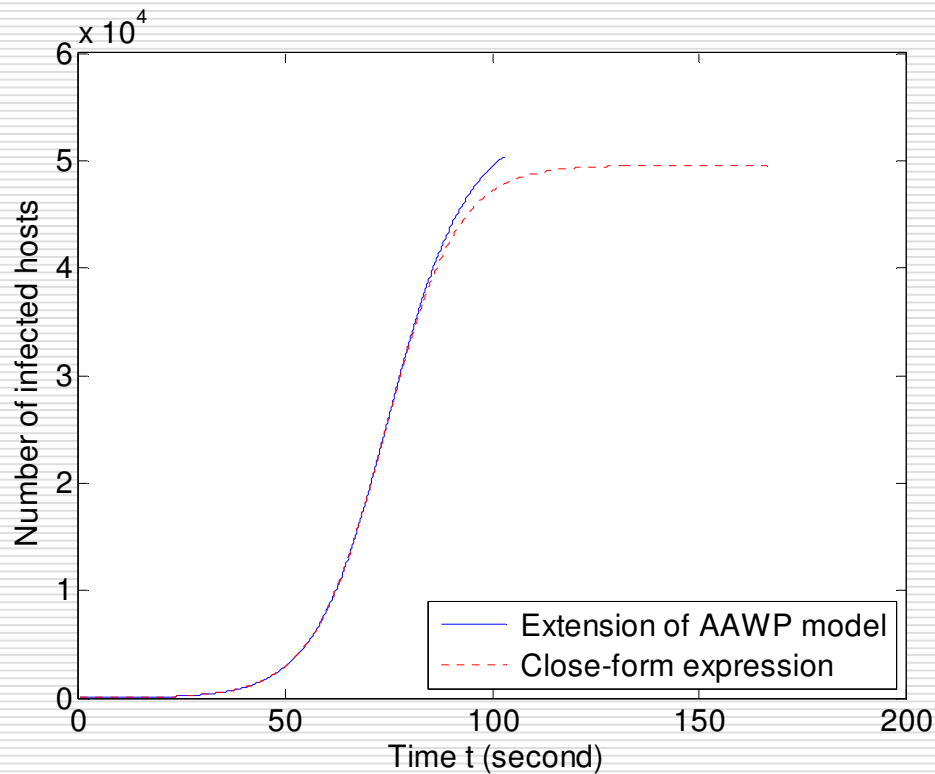


n = 0.5

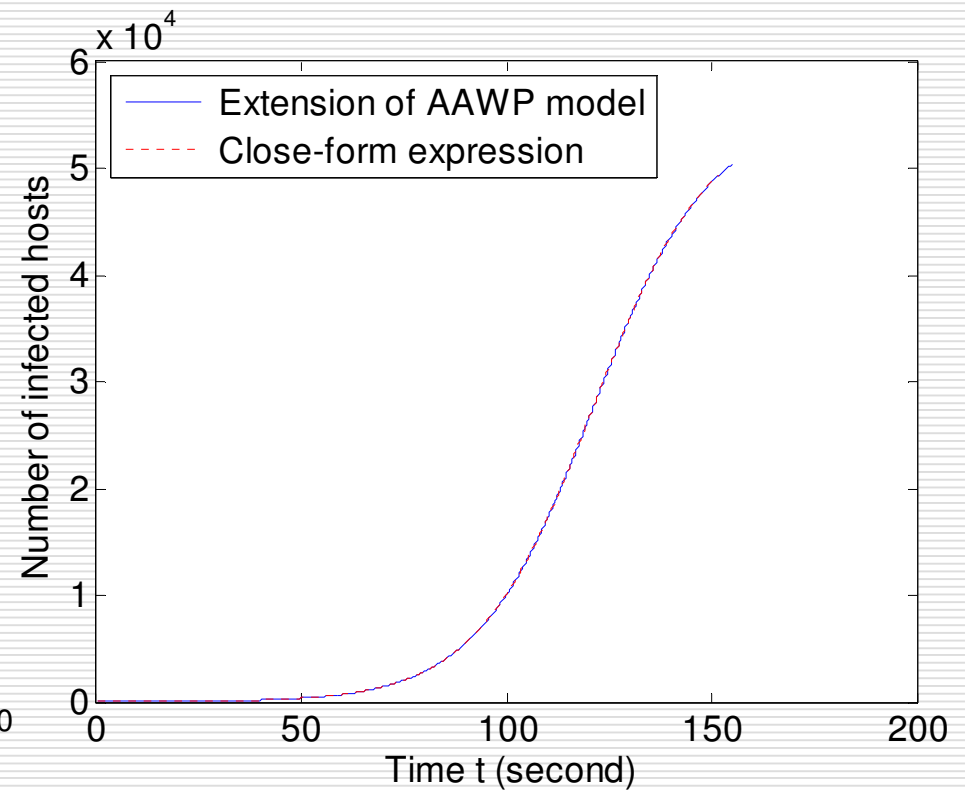


n = 1

Performance Evaluation



OPT-STATIC



Uniform random sampling
Of a subset of subnets A

Conclusions and Future Work

- Present a closed-form expression
 - Mean-field approximation
 - Both accurately characterize worm propagation before the late stage and explicitly capture the effects of the vulnerable-host distribution and the worm-scanning method
 - Study the closed-form expression for dynamic worm-scanning methods
-

Thanks for your attention

