









## <u>Isometric Viruses</u>

Arrangement of the smallest number of subunits possible around the vertices (or faces) of an object with cubic symmetry (e.g., tetrahedron, cube, octahedron [cube],... or **icosahedron** (constructed from 20 equilateral triangles)

 Multiplying the minimum number of subunits per face by the number of faces gives the smallest number of subunits that can be arranged around such an object









mers, the members of each set are only splasi-equivalently' related.

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The size of the capsid will determine the size of the NA that can be encapsulated within that capsid.

 For an icosahedron structure where there are 60 subunits you can arrange the subunits by having multiples of the 60 subunit structure (e.g., 60n)

- Arrange the subunits around each vertice
  - There are 12 vertices and each will have 5 subunits around it
  - Subdivide each face into 4 smaller and identical equilateral triangles (have 240 subunits)
- At the vertices of each of the original icosahedron faces, there will be rings of 5 subunits= pentamers
- At all the other vertices generated by the triangular facets of the smaller triangles, there will be rings of 6 subunits= hexamers

## **Laws of Solid Geometry**

## $T = Pf^2$

- T= triangulation number 9the number of smaller, identical equilateral triangles)
- *f*= 1, 2, 3, 4, ....
- P= h<sup>2</sup> + hk + k<sup>2</sup> (where h and k are any pair of integers without common factors (e.g., h and k cannot be multiplied or divided by any number to give the same values) © © ???

For viruses examined so far the values of P are 1 (h=1, k=0) 3 (h=1, k=1) and 7 (h=1, k=2)



